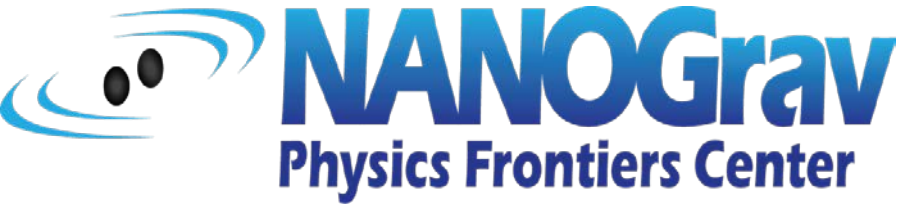
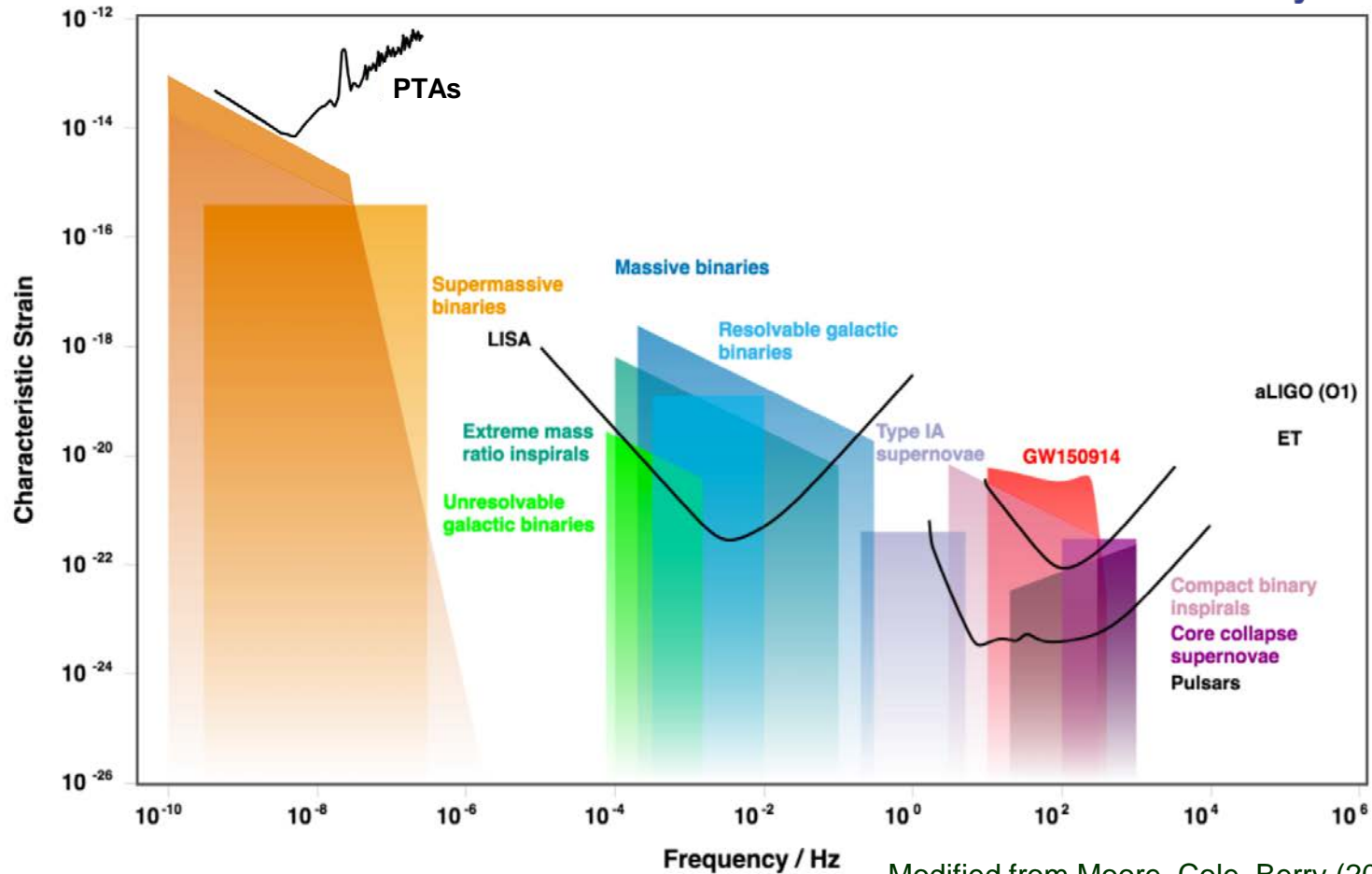


Pulsar Timing Arrays: Current Status and Future Prospects

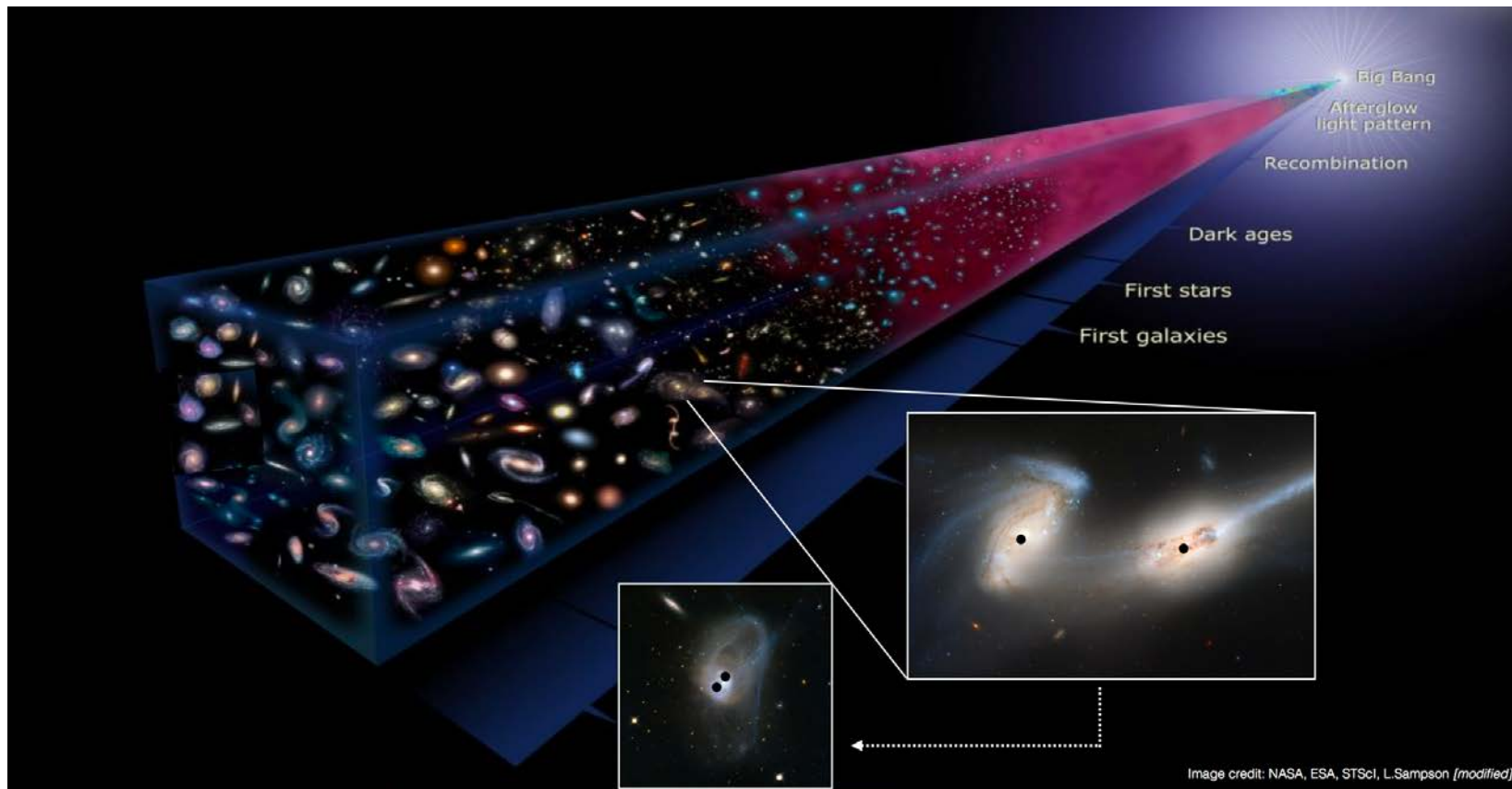
Maura McLaughlin
West Virginia University



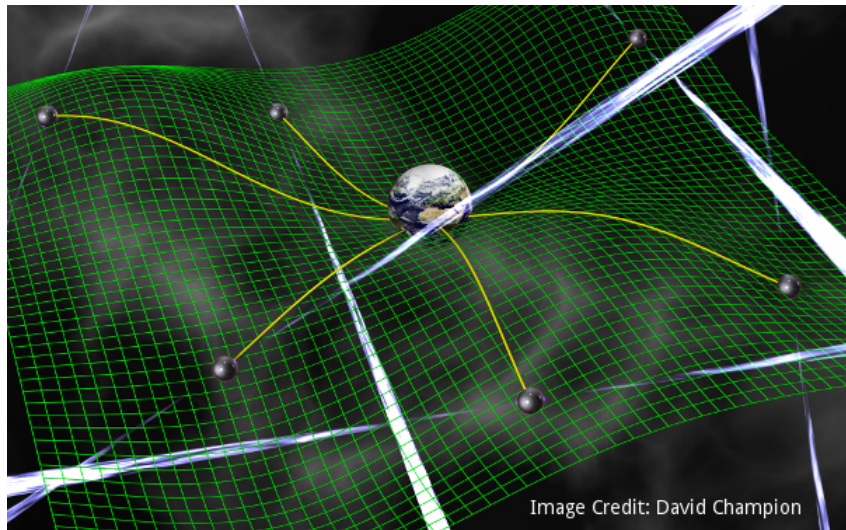


Modified from Moore, Cole, Berry (2014)

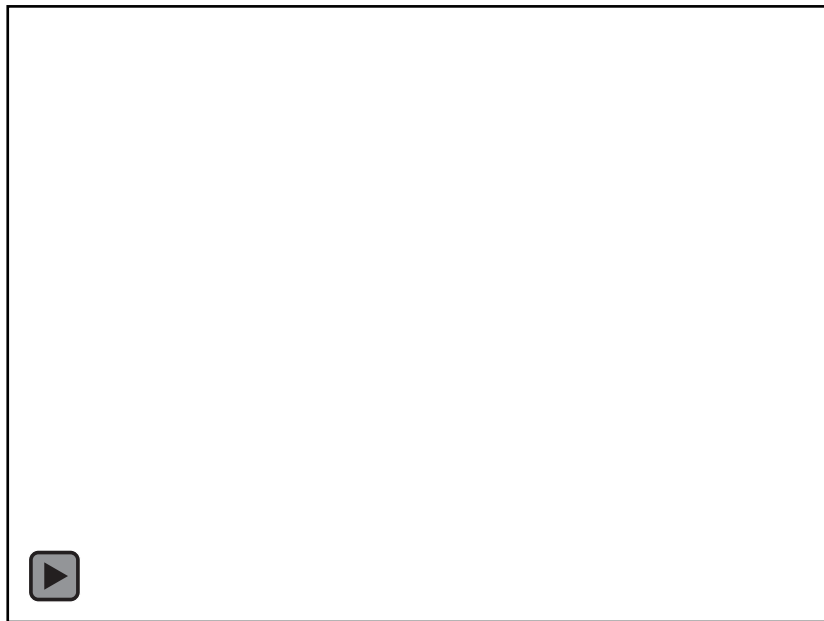
Galaxy Evolution 101



Pulsar Timing Arrays (PTAs)



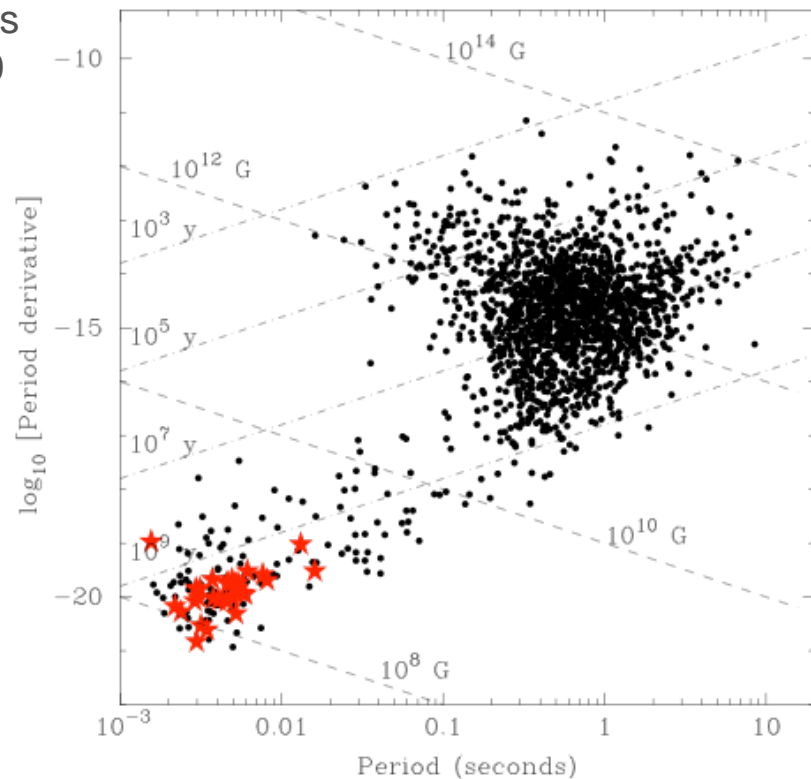
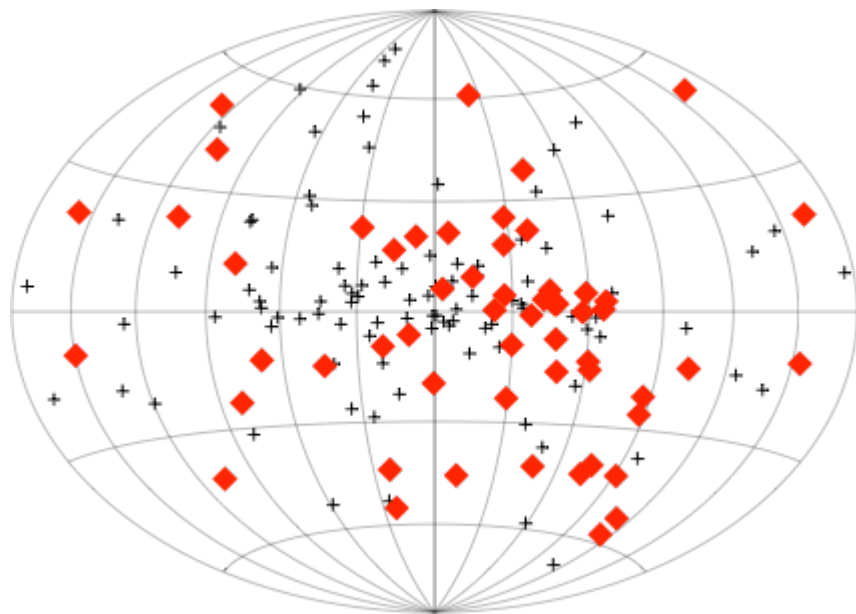
PTA: a network of pulsars that can be used to measure various effects that produce correlations in the arrival times of pulses from the members of the array.





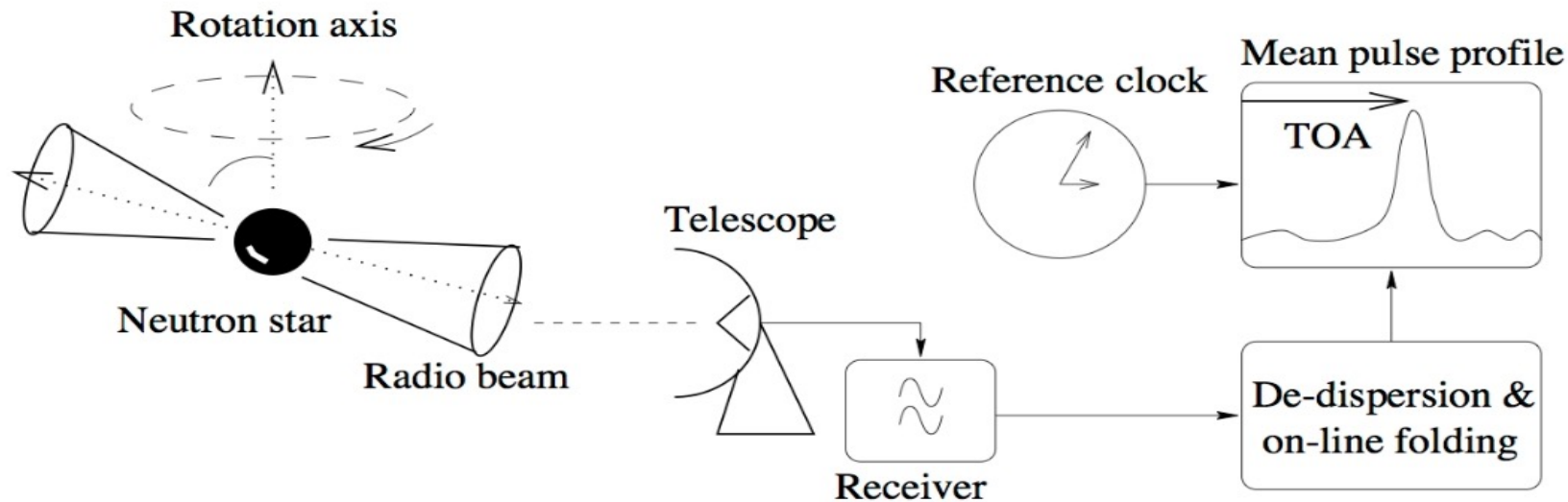
Millisecond Pulsars (MSPs)

Out of over 2600 known pulsars, there are now 272 MSPs ($P < 20$ ms) in our Galaxy, out of roughly 30,000-80,000 detectable. *Roughly 100 timed for PTA purposes.*



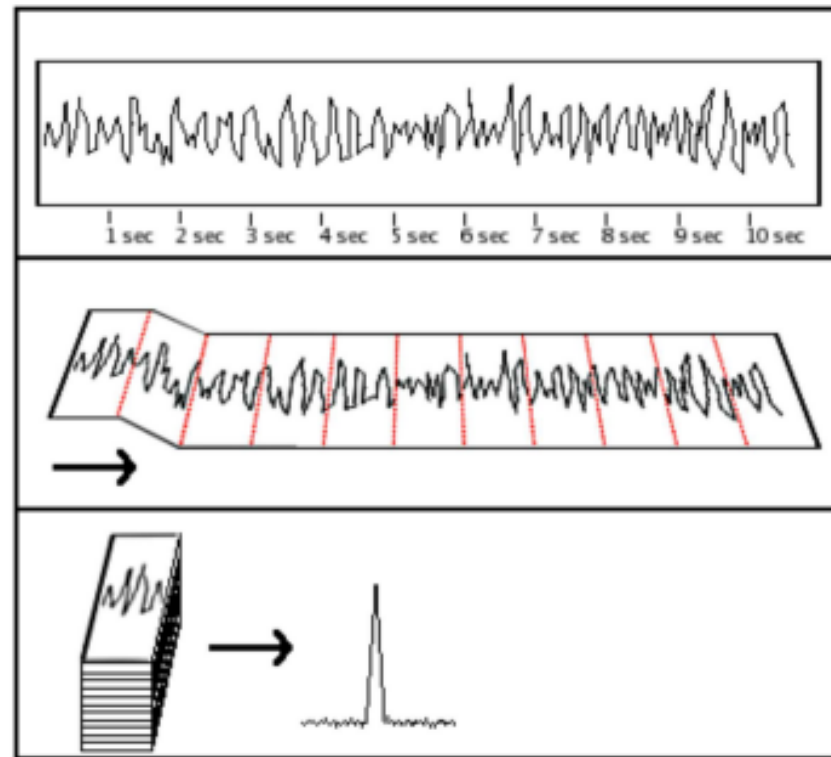
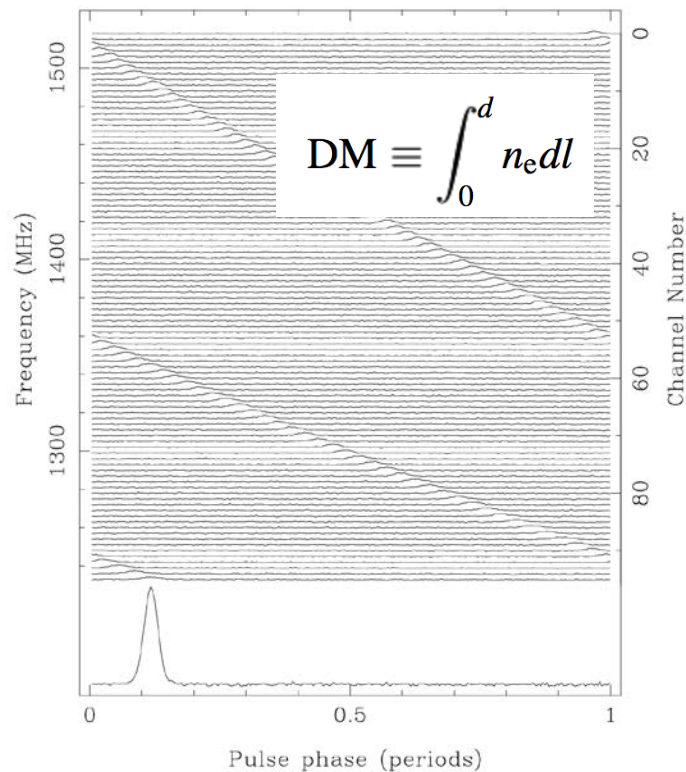
Red = part of worldwide PTA timing programs

Pulsar Timing



Credit: "Handbook of Pulsar Astronomy", Lorimer & Kramer (2005)

Pulsar Timing

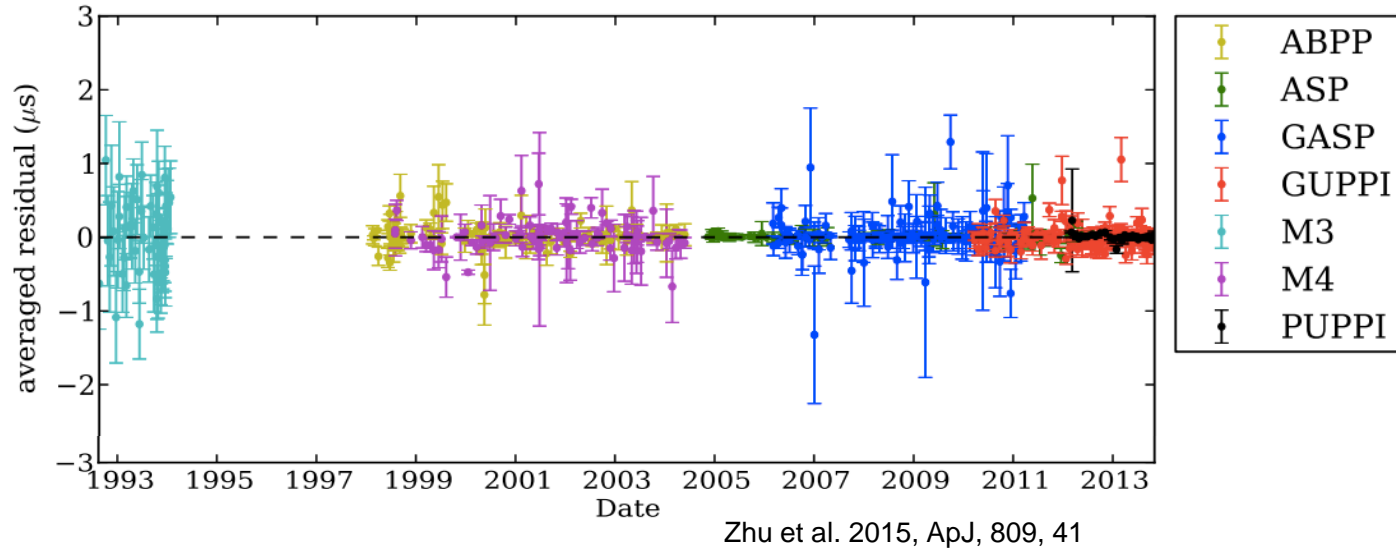


De-dispersion: corrects for *variable* frequency dependent delays

Folding: Roughly a million *variable* pulses added per TOA

Timing Residuals

Model – Measured
Barycentric TOAs



PSR J1713+0747 ($P=4.57$ ms).

TOAs measured to tens of ns - RMS ~ 70 ns over *decades* timescales.

Timing Model

Timing Model Parameters^a from *TEMPO*

Parameter	EFAC and EQUAD	With Jitter Model	Jitter and Red Noise Model
<i>Measured Parameters</i>			
R.A., α (J2000)	17:13:49.5320251(5)	17:13:49.5320248(7)	17:13:49.5320252(8)
decl., δ (J2000)	7:47:37.506131(12)	7:47:37.506155(19)	7:47:37.50614(2)
Spin frequency ν (s ⁻¹)	218.81184385472585(6)	218.81184385472594(10)	218.8118438547251(9)
Spin down rate $\dot{\nu}$ (s ⁻²)	$-4.083889(4) \times 10^{-16}$	$-4.083894(7) \times 10^{-16}$	$-4.08382(5) \times 10^{-16}$
Proper motion in α , $\mu_\alpha = \dot{\alpha} \cos \delta$ (mas yr ⁻¹)	4.9177(11)	4.9179(18)	4.917(2)
Proper motion in δ , $\mu_\delta = \dot{\delta}$ (mas yr ⁻¹)	-3.917(2)	-3.915(3)	-3.913(4)
Parallax, ϖ (mas)	0.858(15)	0.84(3)	0.85(3)
Dispersion measure ^b (pc cm ⁻³)	15.9700	15.9700	15.9700
Orbital period, P_b (day)	67.82513682426(16)	67.82513826935(19)	67.82513826930(19)
Change rate of P_b , \dot{P}_b (10 ⁻¹² s s ⁻¹)	0.23(12)	0.41(16)	0.44(17)
Eccentricity, e	0.0000749399(3)	0.0000749399(6)	0.0000749402(6)
Time of periastron passage, T_0 (MJD)	53761.03227(11)	53761.0328(3)	53761.0327(3)
Angle of periastron ^c , ω (deg)	176.1941(6)	176.1967(15)	176.1963(16)
Projected semimajor axis, x (lt-s)	32.34242243(5)	32.34242188(14)	32.34242188(14)
$\sin i$, where i is the orbital inclination angle	0.9672(11)	0.951(4)	0.951(4)
Companion mass, M_c (M_\odot)	0.233(4)	0.287(13)	0.286(13)
Apparent change rate of x , \dot{x} (lt-s s ⁻¹)	0.00637(7)	0.00640(10)	0.00645(11)
Profile frequency dependency parameter, FD1	-0.00016317(19)	-0.0001623(2)	-0.00016(3)
Profile frequency dependency parameter, FD2	0.0001357(3)	0.0001350(3)	0.00014(3)
Profile frequency dependency parameter, FD3	-0.0000664(6)	-0.0000668(6)	-0.000067(17)
Profile frequency dependency parameter, FD4	0.0000147(4)	0.0000153(4)	0.000015(5)
<i>Fixed Parameters</i>			
Solar system ephemeris	DE421	DE421	DE421
Reference epoch for α , δ , and ν (MJD)	53729	53729	53729
Solar wind electron density n_0 (cm ⁻³)	0	0	0
Rate of periastron advance, $\dot{\omega}$ (deg yr ⁻¹) ^d	0.00020	0.00024	0.00024
Position angle of ascending node, Ω (deg) ^e	88.43	88.43	88.43
Red noise amplitude (μ s year ^{1/2})	0.025 ^f
Red noise spectral index, γ_{red}	-2.92
<i>Derived Parameters</i>			
Intrinsic period derivative, \dot{P}_{int} (s s ⁻¹) ^g	$8.966(12) \times 10^{-21}$	$8.98(2) \times 10^{-21}$	$8.97(2) \times 10^{-21}$
Dipole magnetic field, B (G) ^h	$2.0485(14) \times 10^8$	$2.050(3) \times 10^8$	$2.049(3) \times 10^8$
Characteristic age, τ_c (year) ^h	$8.076(11) \times 10^9$	$8.07(2) \times 10^9$	$8.07(2) \times 10^9$
Pulsar mass, M_{PSR} (M_\odot)	0.97(3)	1.32(11)	1.31(11)

Spin and spin-down

Astrometric

Interstellar medium

Binary

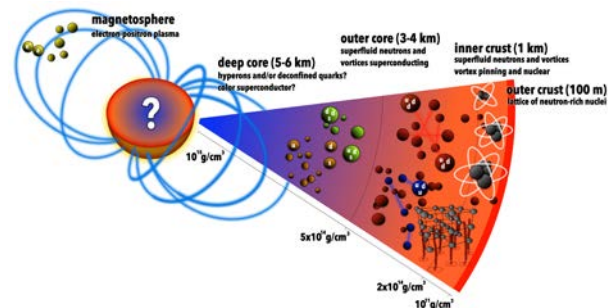
Pulsar profile evolution

Red and white noise

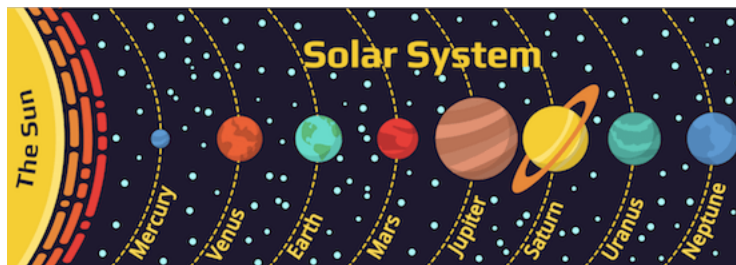
Zhu et al. 2015, ApJ, 809, 41

Sources of Noise in PTA Data

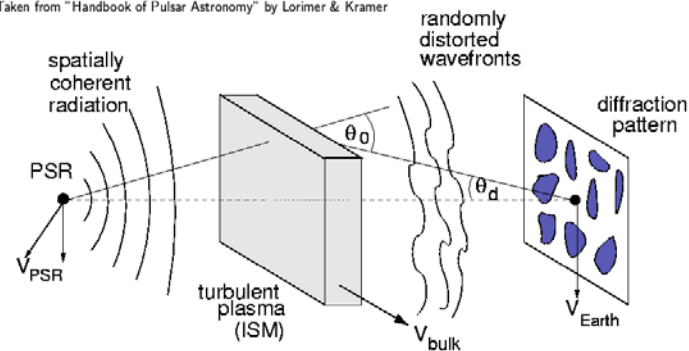
	Noise source	Achromatic?	Correlated in time?	Correlated in space?
Intrinsic	Pulsar rotational irregularities	✓	✓	✗
	Pulse jitter	✓	✗	✗
Extrinsic	Scattering and dispersion measure variations	✗	✓	✗
	Planetary ephemerides	✓	✓	✓
	Clock errors/offsets	✓	✓	✗



Watts et al. 2015, arXiv: 1501.00042



Taken from "Handbook of Pulsar Astronomy" by Lorimer & Kramer



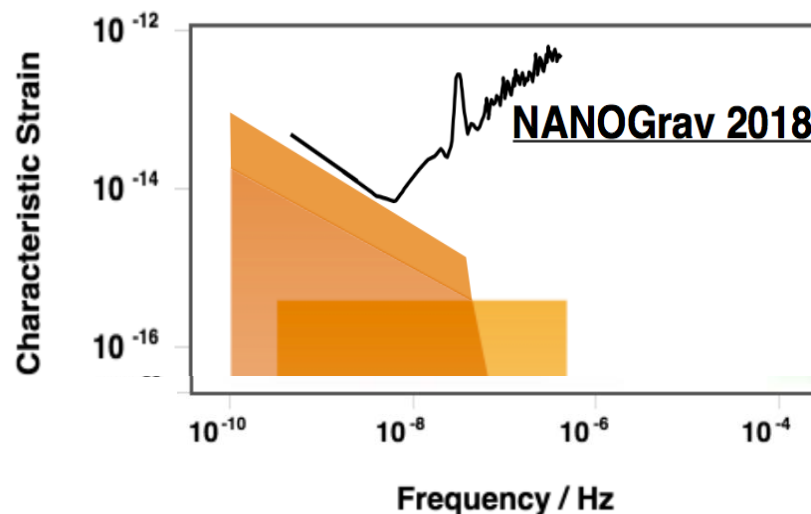
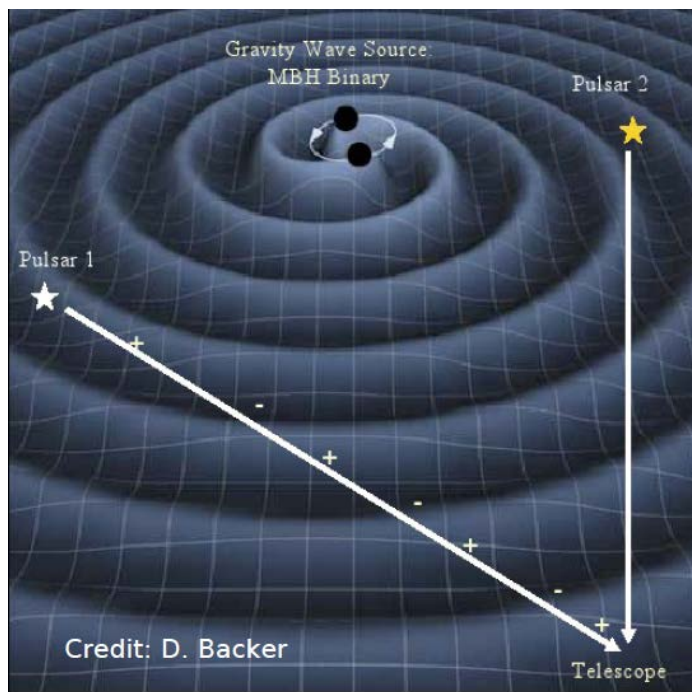
Detection Big Picture

$f \sim 1/\text{weeks to 1/years } (10^{-6} - 10^{-9} \text{ Hz})$

The induced residual $\Delta t \sim h/f$ and will have pulsar and Earth terms.

$h_{\text{min}} \sim \sigma_{\text{rms}}/T \sim 200 \text{ ns}/10 \text{ years} \sim 10^{-15}$

$\lambda_{\text{gw}} \sim 1\text{-}10 \text{ yr}; D_{\text{psr}} \sim 1000 \text{ yr}$





PTA Sources

For a binary system,

$$h \simeq 10^{-17} M_8^{5/3} f_{\text{yr}^{-1}}^{2/3} D_{\text{Gly}}^{-1} \frac{q}{(1+q)^2}$$

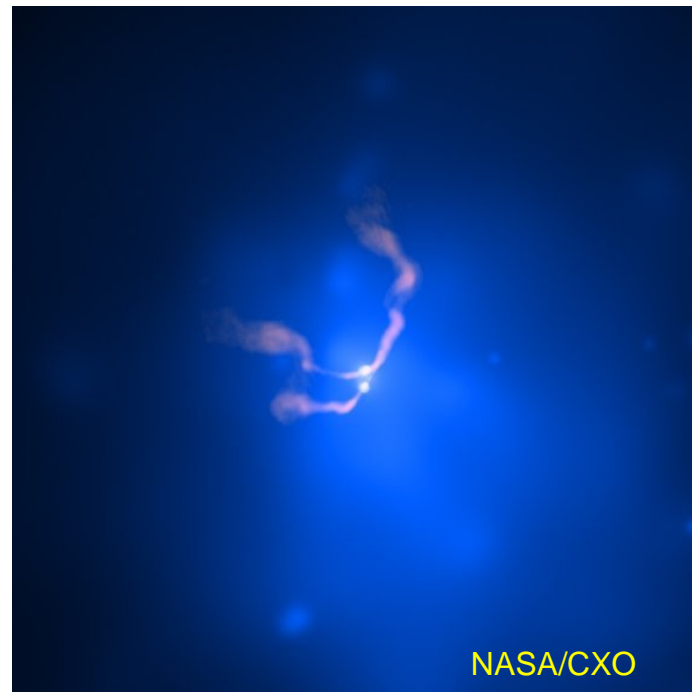
$$\tau = 10^6 M_8^{-5/3} f_{\text{yr}^{-1}}^{-8/3} \frac{(1+q)^2}{q} \text{yr}$$

For a stochastic background,

$$h_c(f) = A_{\text{GWB}} \left(\frac{f}{\text{yr}^{-1}} \right)^\alpha$$

$$\alpha = -2/3$$

(under the simplest assumptions)



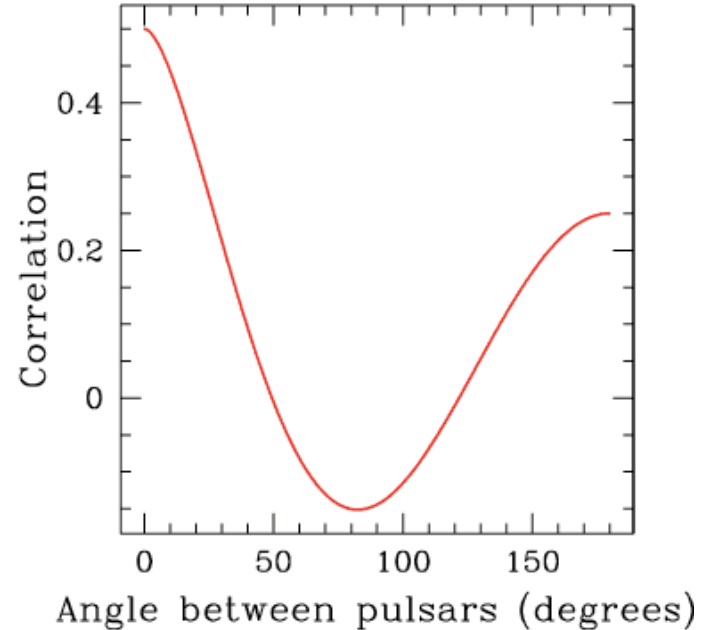
Will look like correlated
RED noise in our data.

Hellings-Downs Curve

Expected correlation of residuals for pairs of pulsars versus angular separation on sky. Pulsar terms uncorrelated. Earth terms correlated.



Clock errors monopole.
Ephemeris errors dipole.
GWs quadrupole.



Hellings & Downs, 1983, ApJ, 265, L39

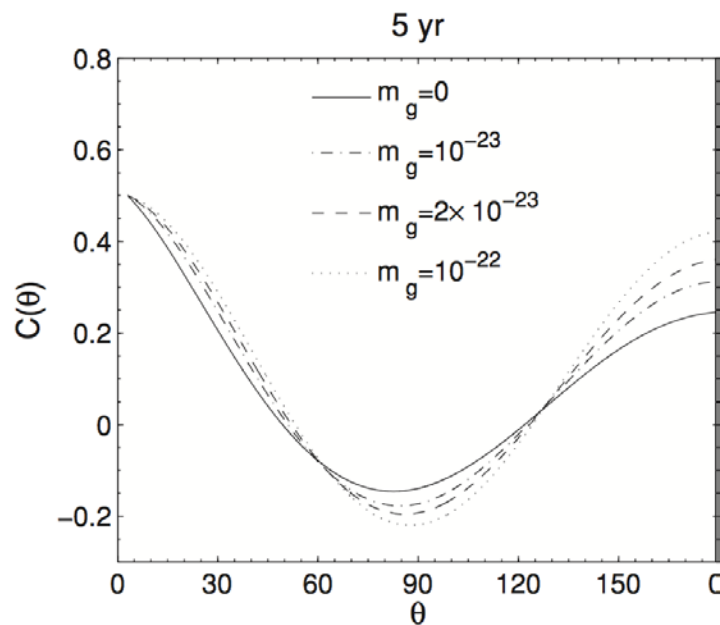
Can we distinguish GWs from noise?

	Noise source	Achromatic?	Correlated in time?	Correlated in space?	Quadrupolar?
Intrinsic	Pulsar rotational irregularities	✓	✓	✗	✗
	Pulse jitter	✓	✗	✗	✗
Extrinsic	Scattering and dispersion measure variations	✗	✓	✗	✗
	Planetary ephemerides	✓	✓	✓	✗
	Clock errors/offsets	✓	✓	✗	✗
	GW background	✓	✓	✓	✓

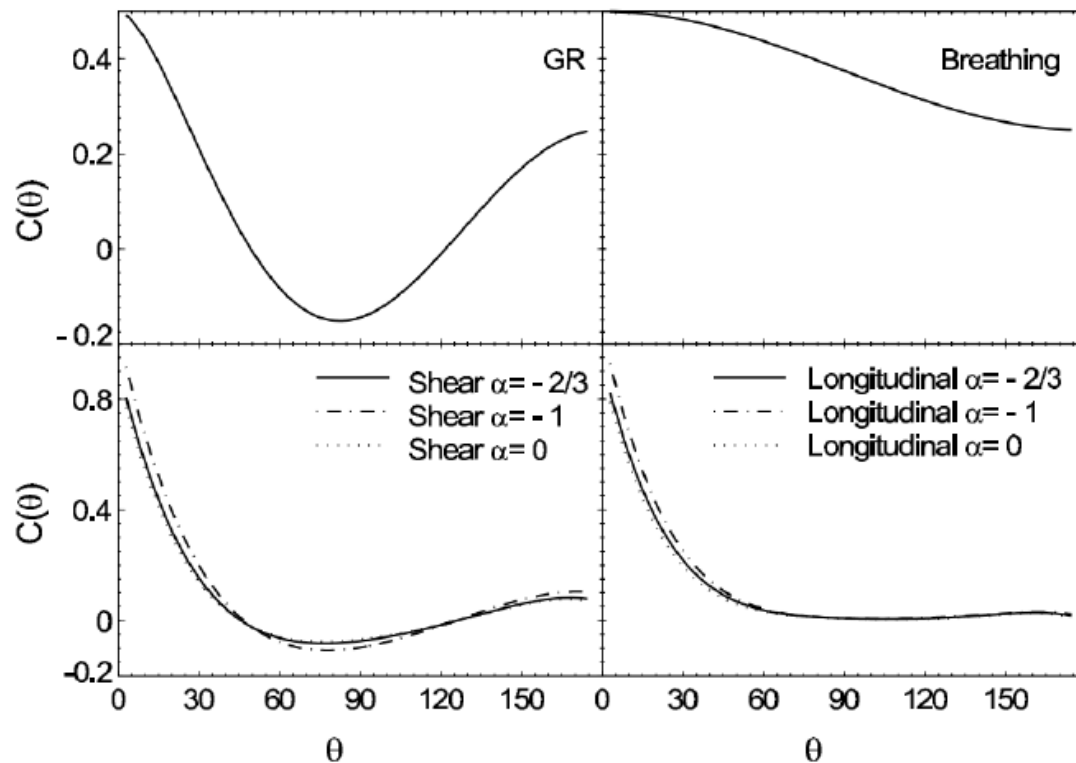
Yes!



We can also test GR

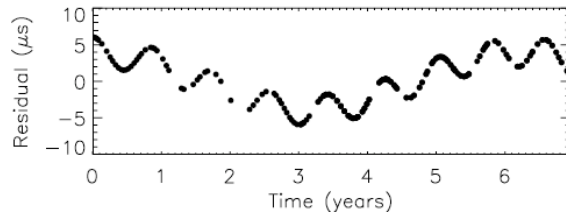


Lee et al. 2010, ApJ, 722, 1589



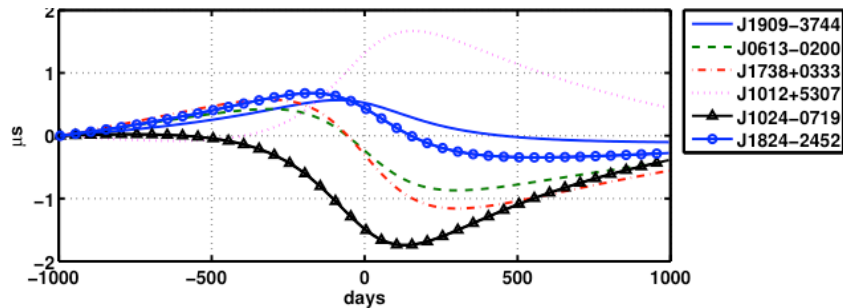
Lee et al. 2008, ApJ, 685, 1304

And detect single sources through continuous wave and burst searches



50 billion solar mass binary with period of one year at 100 Mpc (3C66B).

Jenet et al. 2004, ApJ, 606, 799



Parabolic encounter of two billion solar mass black holes at 20 Mpc.

Finn & Lommen, ApJ, 2000, 718 1400

North American Nanohertz Observatory for GWs

Over 100 students and scientists working to characterize the GW universe at low frequencies using pulsar timing. An NSF Physics Frontiers Center since March 2015. We welcome new members and participants at meetings!

<http://nanograv.org>



NANOGrav's Program



100-m Green Bank Telescope in Green Bank, WV

We use roughly 15% of the time on each telescope to observe over 70 pulsars at two radio frequencies every one to four weeks for roughly 20-30 minutes.

(Lots more time for pulsar searches!)



300-m Arecibo Observatory
in Arecibo, PR

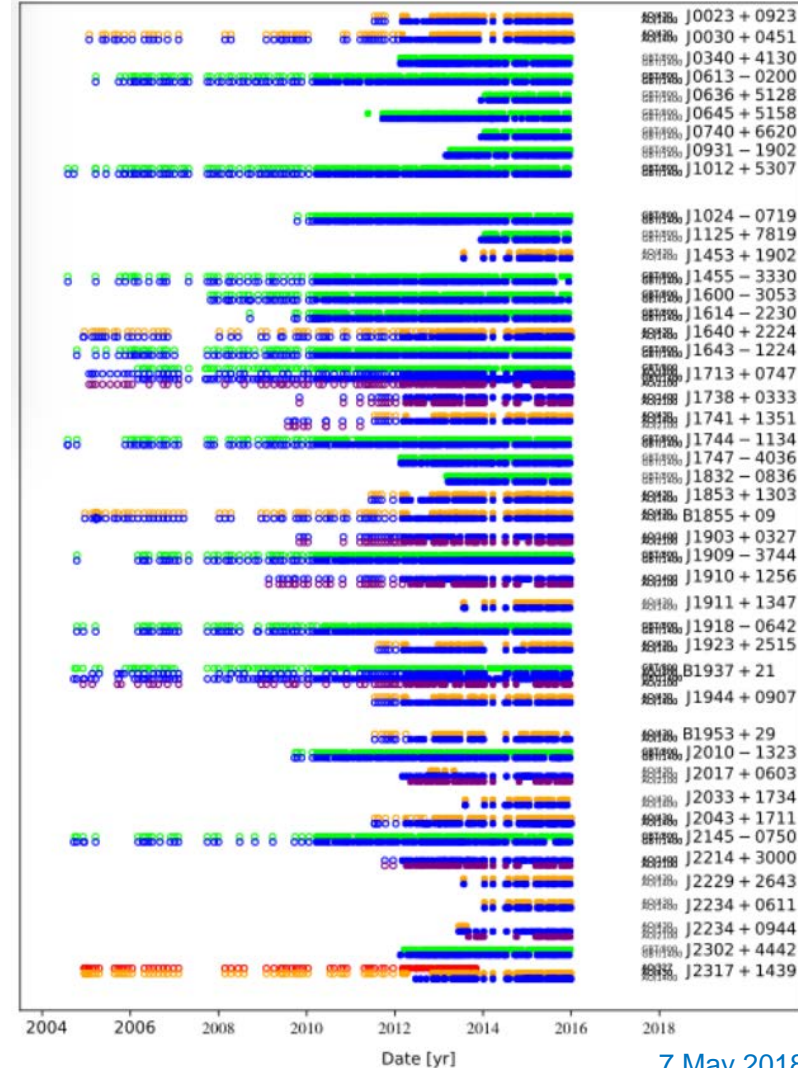
NANOGrav Eleven-Year Data Release

Includes 45 pulsars

Data are public at <http://data.nanograv.org>

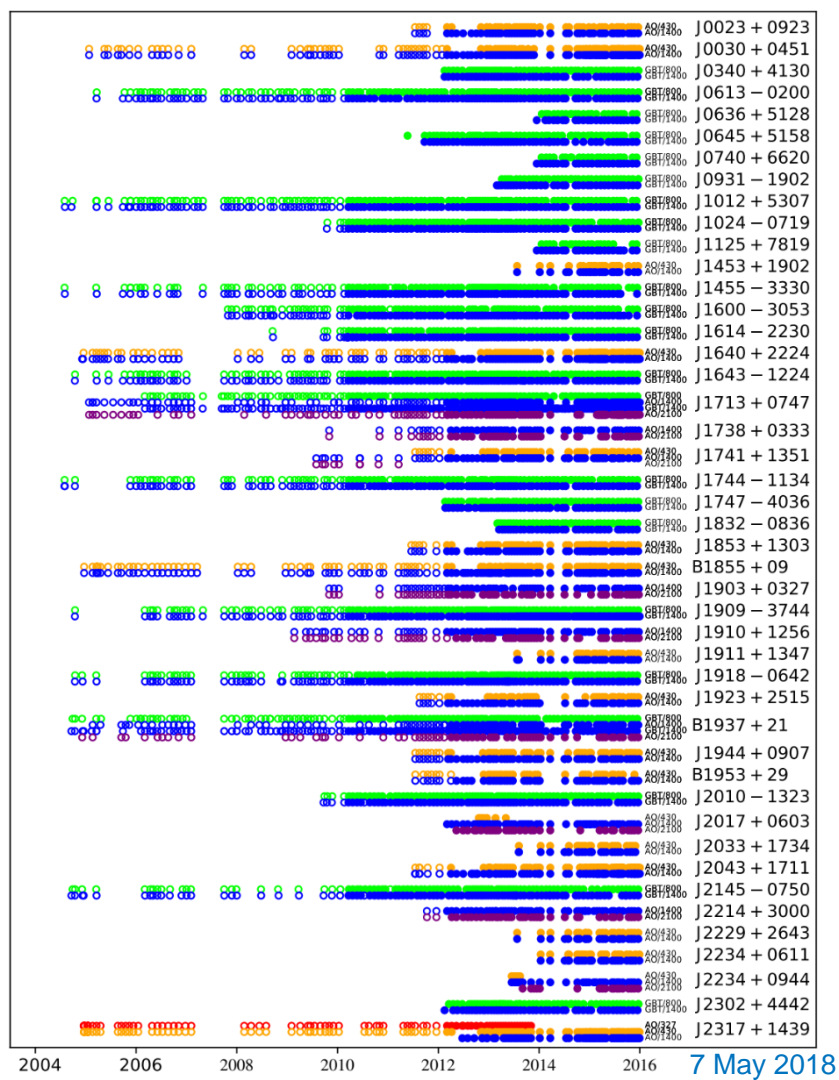
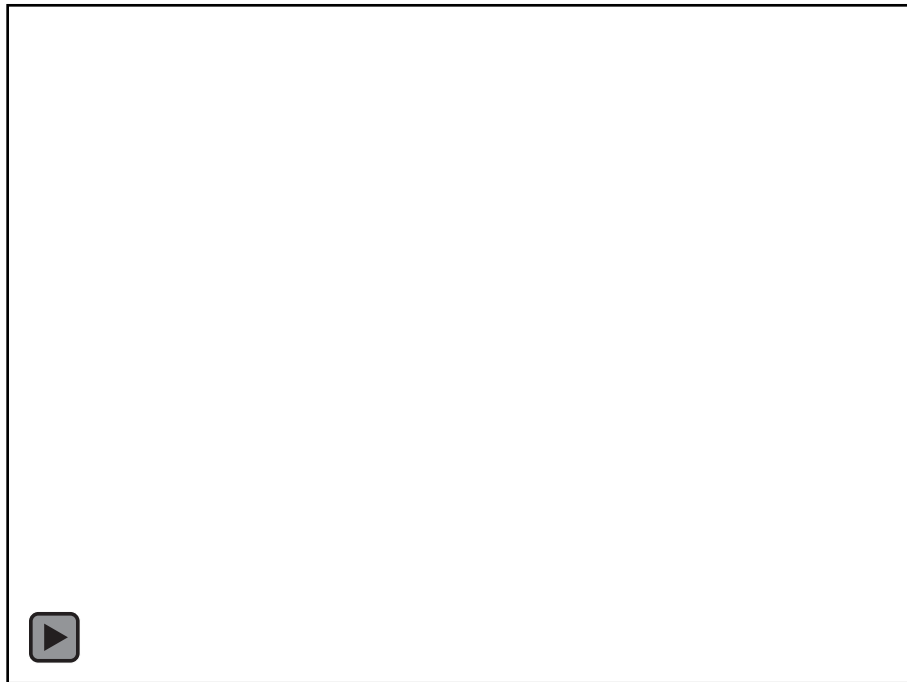
arXiv:1801.01837

The NANOGrav Collaboration, ApJS, 235, 37



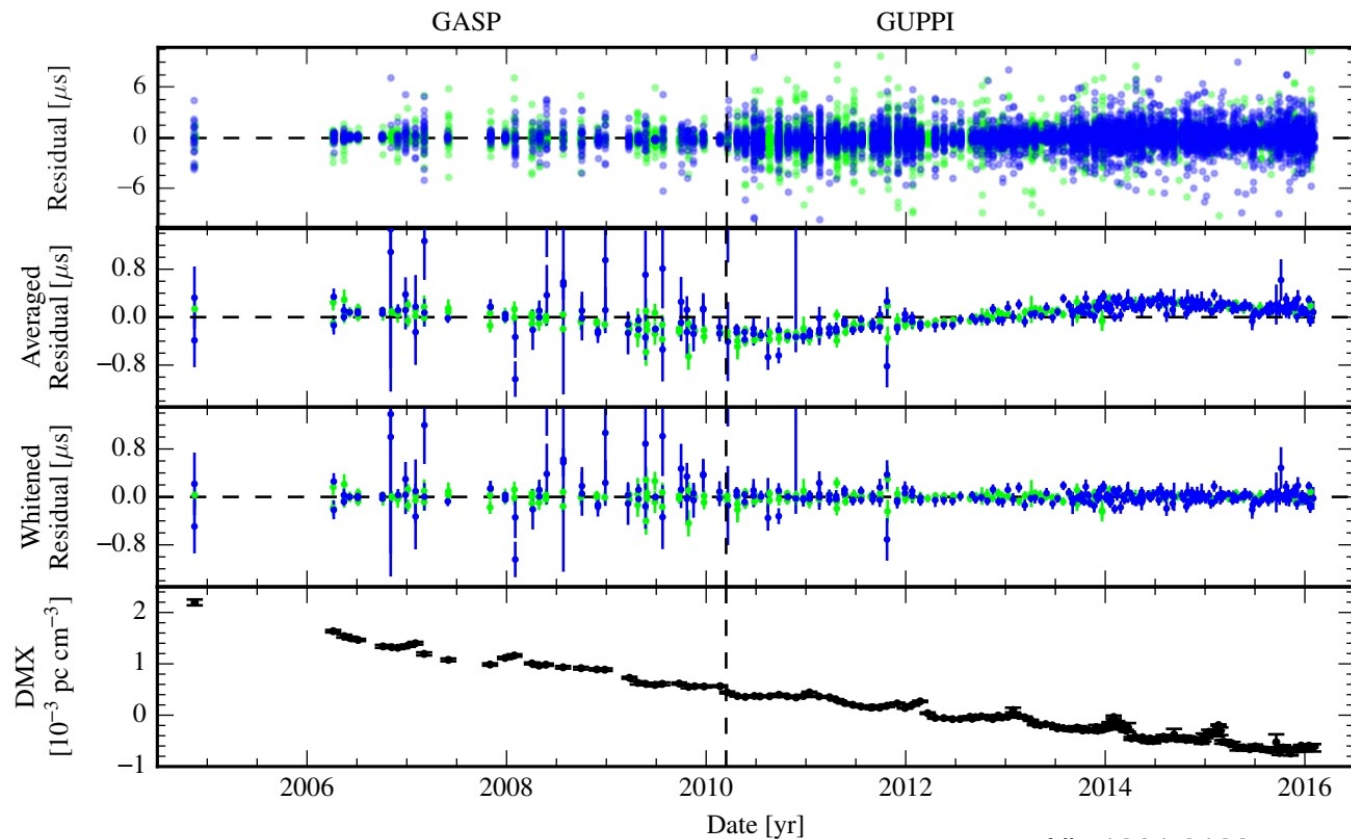
NANOGrav Twelve-Year Data Release

Will include 47 pulsars.
We are currently timing 71!



Some Eleven-Year Residuals

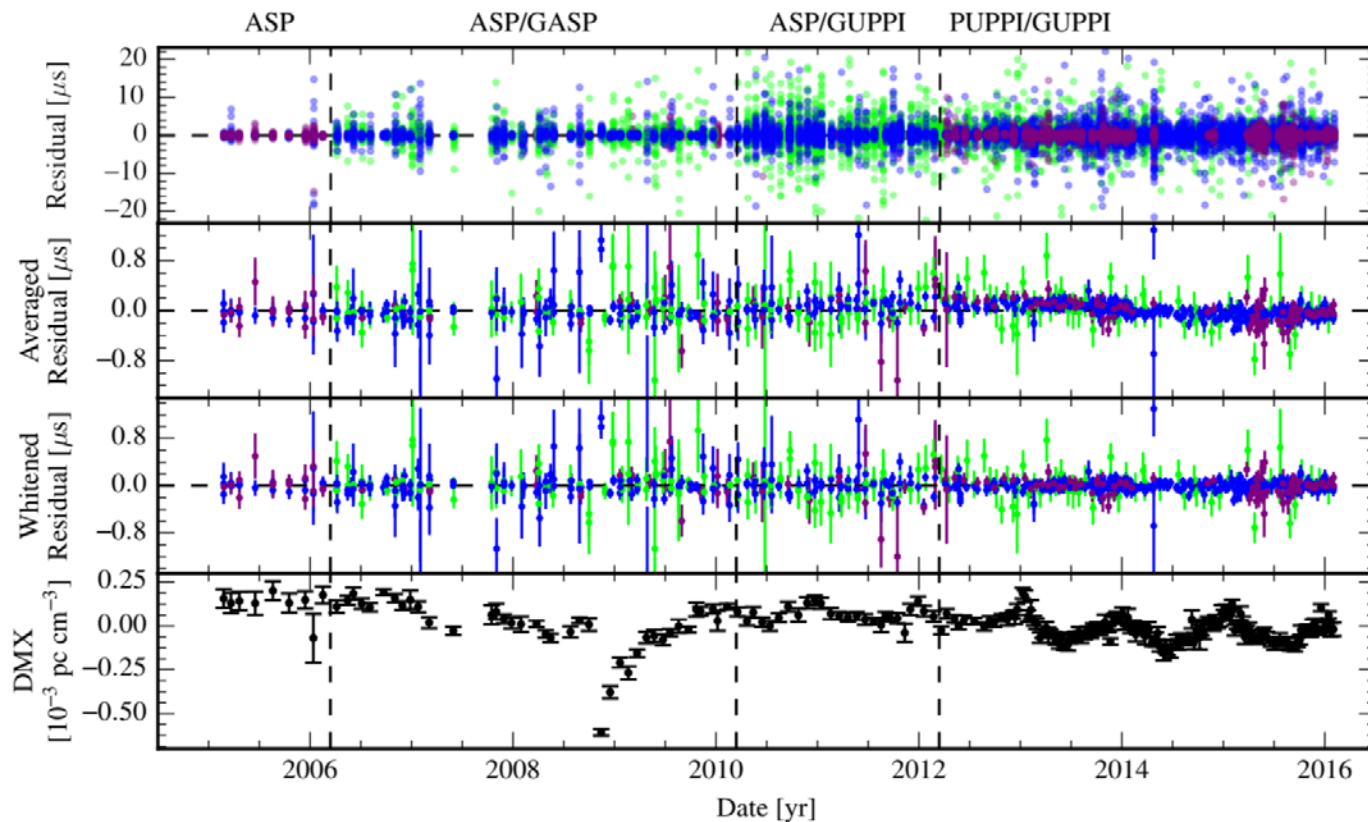
J1909-3744



arXiv:1801.01837

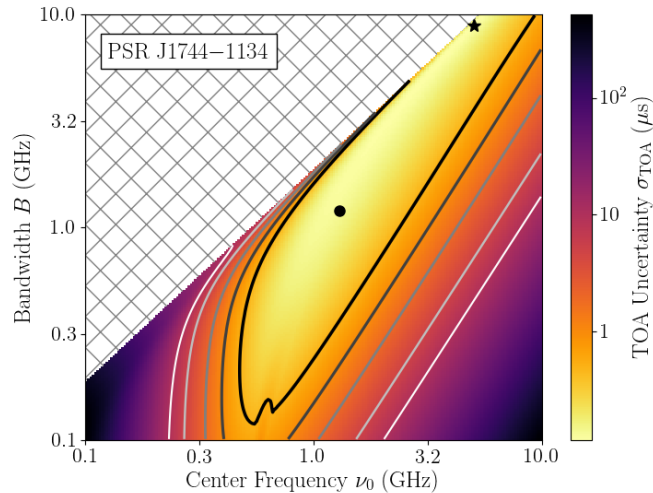
More Eleven-Year Residuals

J1713+0747

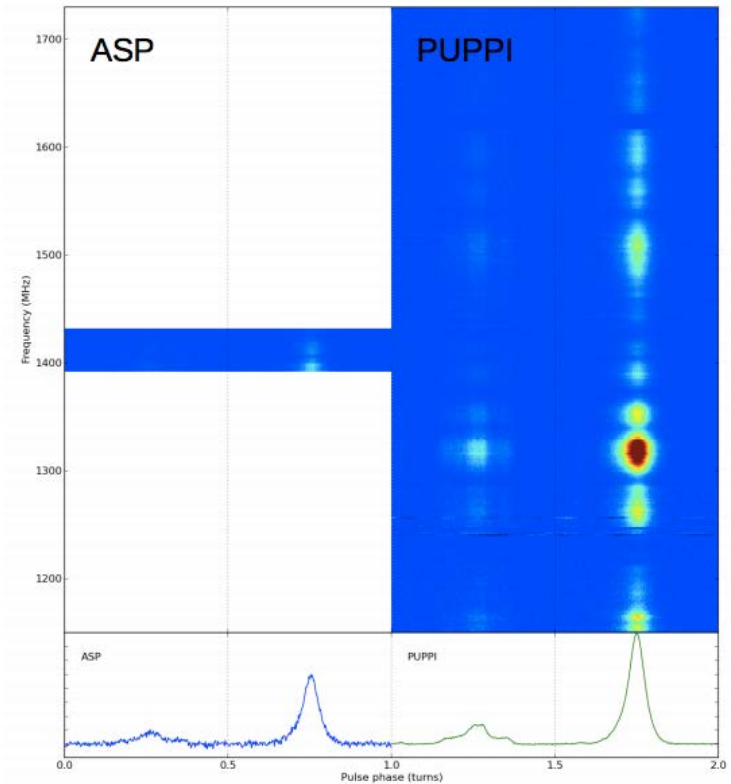


Sensitivity Improvements

Huge increase in timing precision since our five-year data release due to new backends!

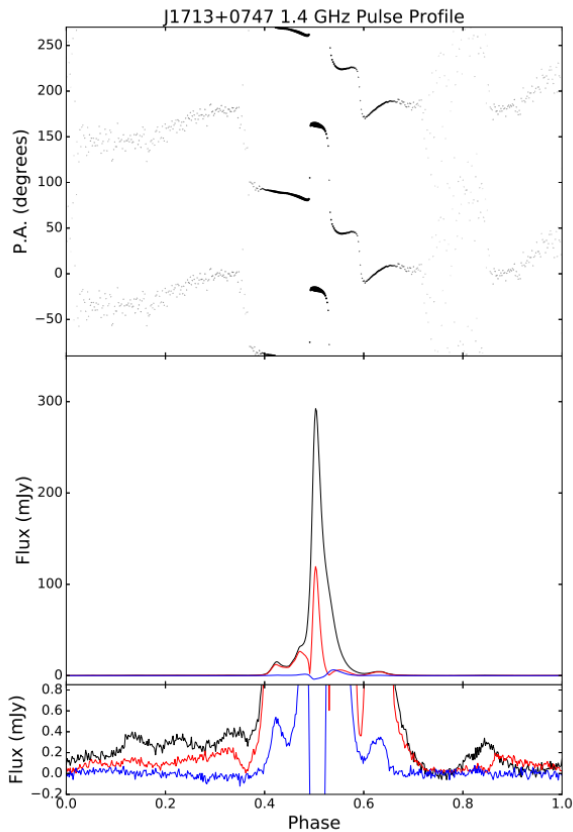


Optimal frequencies analysis (Lam et al. submitted) shows we can do even better with wider bandwidths at higher frequencies.



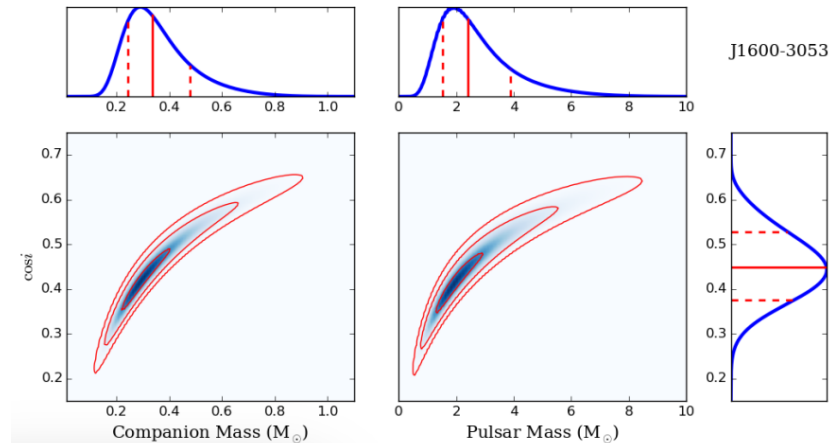
Credit: Paul Demorest

(Lots of Non-Gravitational Wave Science)

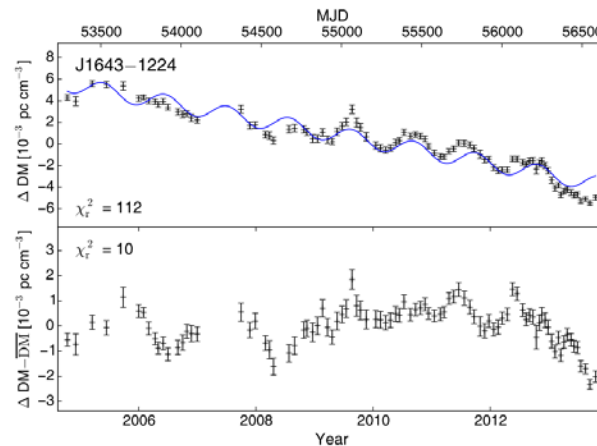


Gentile et al., submitted

Fonseca et al., ApJ,
2016, 832, 167



Jones et al., ApJ,
2017, 841, 2



Eleven-year Stochastic Background Analysis

Accepted by ApJ
arXiv:1801.02617

https://nanograv.github.io/11yr_stochastic_analysis/

Full Bayesian analysis.

Accounts for correlated and uncorrelated noise, including ephemeris errors.

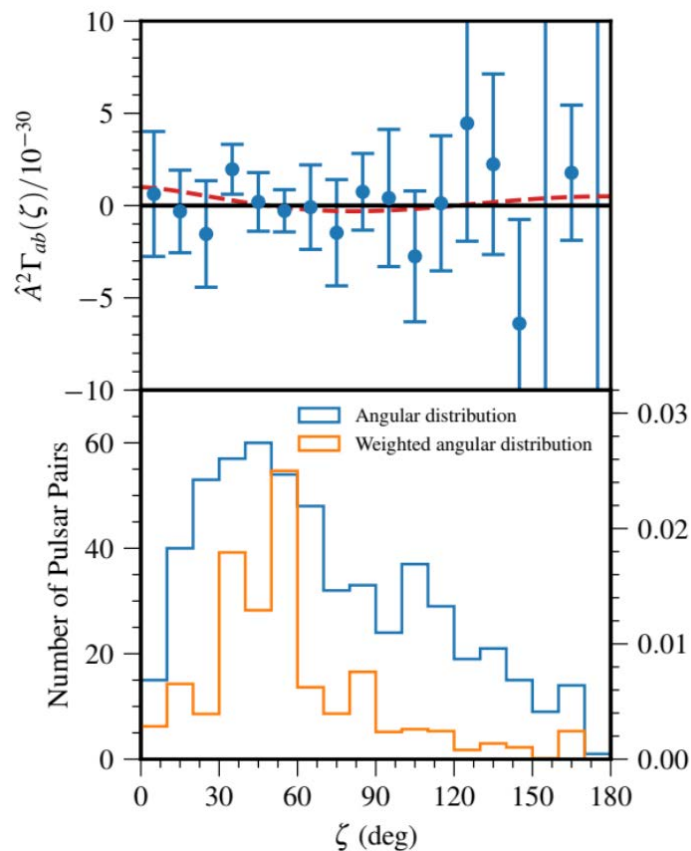
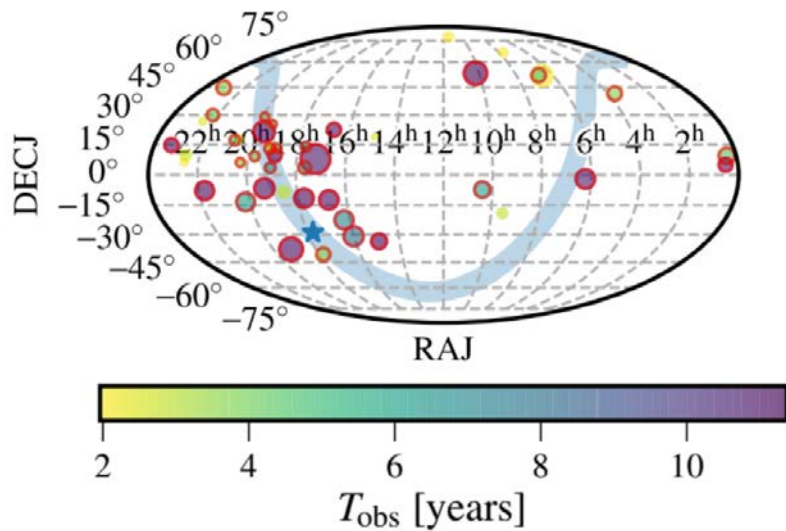
For the first time, can set limits with likelihoods including spatial correlations.

Table 2
Prior distributions used in all analyses performed in this paper.

parameter	description	prior	comments
White Noise			
E_k	EFAC per backend/receiver system	Uniform [0, 10]	single-pulsar analysis only
Q_k [s]	EQUAD per backend/receiver system	log-Uniform [-8.5, -5]	single-pulsar analysis only
J_k [s]	ECORR per backend/receiver system	log-Uniform [-8.5, -5]	single-pulsar analysis only
Red Noise			
A_{red}	red-noise power-law amplitude	Uniform [10^{-20} , 10^{-11}] (upper limits) log-Uniform [-20, -11] (model comparison)	one parameter per pulsar
γ_{red}	red-noise power-law spectral index	Uniform [0, 7]	one parameter per pulsar
BAYESEPHHEM			
z_{drift} [rad/yr]	drift-rate of Earth's orbit about ecliptic z-axis	Uniform [-10^{-9} , 10^{-9}]	one parameter for PTA
$\Delta M_{\text{Jupiter}}$ [M_{\odot}]	perturbation to Jupiter's mass	$\mathcal{N}(0, 1.55 \times 10^{-11})$	one parameter for PTA
ΔM_{Saturn} [M_{\odot}]	perturbation to Saturn's mass	$\mathcal{N}(0, 8.17 \times 10^{-12})$	one parameter for PTA
ΔM_{Uranus} [M_{\odot}]	perturbation to Uranus' mass	$\mathcal{N}(0, 5.72 \times 10^{-11})$	one parameter for PTA
$\Delta M_{\text{Neptune}}$ [M_{\odot}]	perturbation to Neptune's mass	$\mathcal{N}(0, 7.96 \times 10^{-11})$	one parameter for PTA
PCA_i	i th PCA component of Jupiter's orbit	Uniform [-0.05, 0.05]	six parameters for PTA
Monopole-correlated clock-error signal, power-law spectrum			
A_{mono}	Equivalent strain amplitude	Uniform [10^{-18} , 10^{-11}] (upper limits) log-Uniform [-18, -14] (model comp., $\gamma = 13/3$) log-Uniform [-18, -11] (model comp., γ varied)	one parameter for PTA one parameter for PTA fixed, depends on analysis
γ_{mono}	GWB power-law spectral index	delta function	
Dipole-correlated SSE-error signal, power-law spectrum			
A_{dip}	Equivalent strain amplitude	Uniform [10^{-18} , 10^{-11}] (upper limits) log-Uniform [-18, -14] (model comp., $\gamma = 13/3$) log-Uniform [-18, -11] (model comp., γ varied)	one parameter for PTA one parameter for PTA fixed, depends on analysis
γ_{dip}	GWB power-law spectral index	delta function	
GWB, power-law spectrum			
A_{GWB}	GWB strain amplitude	Uniform [10^{-18} , 10^{-11}] (upper limits) log-Uniform [-18, -14] (model comp., $\gamma_{\text{GWB}} = 13/3$) log-Uniform [-18, -11] (model comp., γ_{GWB} varied)	one parameter for PTA one parameter for PTA fixed, depends on analysis
γ_{GWB}	GWB power-law spectral index	delta function	
GWB, free spectrum			
ρ_i [s^2]	GWB power-spectrum coefficients at $f = i/T$	uniform in $\rho_i^{1/2}$ [10^{-18} , 10^{-8}] μ	one parameter per frequency
GWB, broken-power-law spectrum			
A_{GWB}	GWB broken power-law amplitude	log-Normal $\mathcal{N}(-14.4, 0.26)$ $\mathcal{N}(-15, 0.22)$ $\mathcal{N}(-14.95, 0.12)$ $\mathcal{N}(-14.82, 0.08)$	one parameter for PTA MOP14 S13 Simon & Burke-Spolaor (2016) ^b Simon & Burke-Spolaor (2016) ^f
γ_{GWB}	GWB power-law spectral index	delta function	fixed to 13/3
κ	GWB broken power-law low-freq. spectral index	Uniform [0, 7]	one parameter for PTA
f_{break} [Hz]	GWB broken power-law bend frequency	log-Uniform [-9, -7]	one parameter for PTA
GWB, Gaussian-process-interpolated spectrum			
ρ_i [s^2]	GWB power-spectrum coefficients at $f = i/T$	$\mathcal{N}(0, V(\alpha_{\text{BH}}, \rho_{\text{stars}}, \epsilon_0))$	one parameter per frequency
α_{BH}	y-intercept of $M_{\text{BH}} - M_{\text{bulge}}$ relation	Uniform [7, 9]	one parameter for PTA
ρ_{stars} [$M_{\odot} \text{pc}^{-3}$]	mass density of galactic-core stars	log-Uniform [1, 4]	one parameter for PTA
ϵ_0	binary eccentricity at formation	Uniform [0, 0.95]	one parameter for PTA

Eleven-year Stochastic Background Analysis

No detection yet!



arXiv: 1801.02617

But, A Puzzle

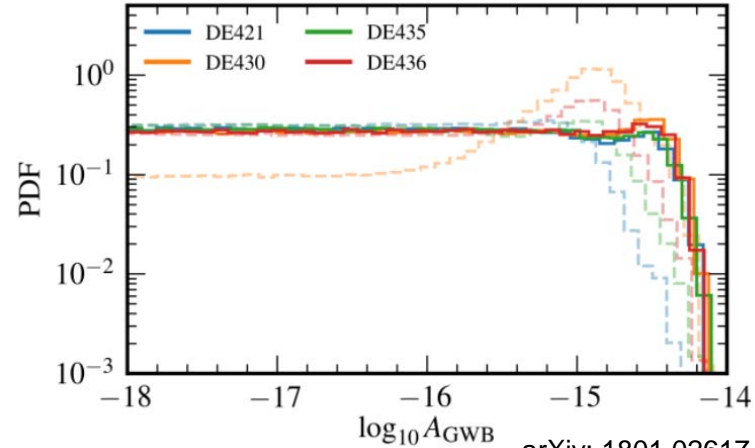
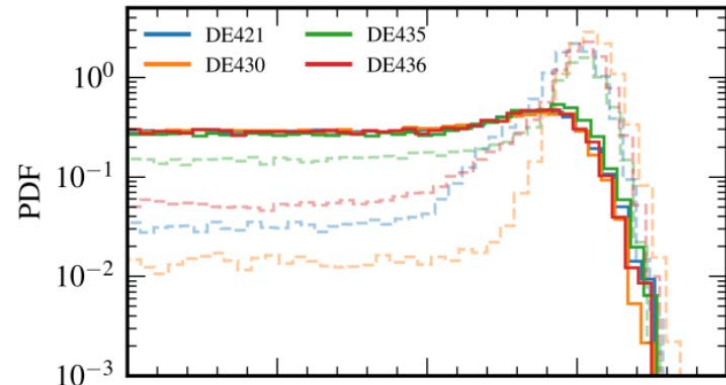
Originally, our limit did not improve over our 9-year limit!

For both,

$$h_c < 1.5 \times 10^{-15} \text{ (} f=1 \text{ yr}^{-1}\text{)}$$

???????

Five year limit was 7×10^{-15} ($f=1 \text{ yr}^{-1}$)



arXiv: 1801.02617

Ephemerides Matter

Ephemerides are not accurate enough!

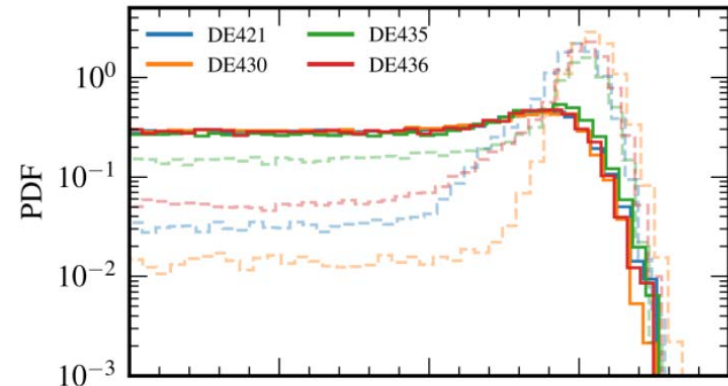
When accounting for this, 11-year limit is:

$$h_c < 1.45 \times 10^{-15} \quad (f=1 \text{ yr}^{-1})$$

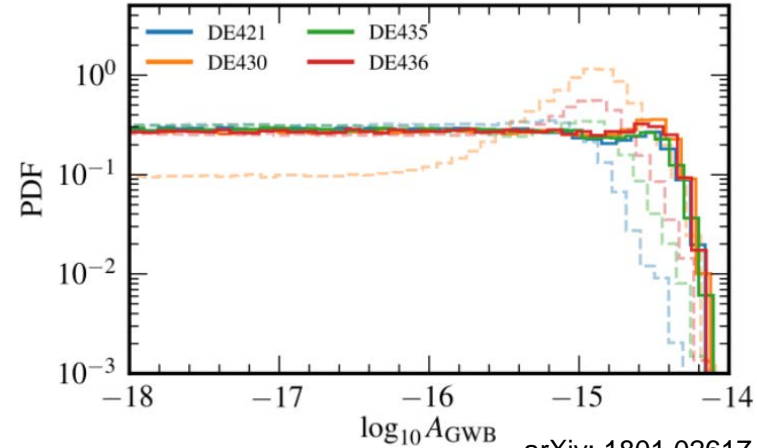
9-year limit is:

$$h_c < 2.5 \times 10^{-15} \quad (f=1 \text{ yr}^{-1})$$

Whew!



11-yr

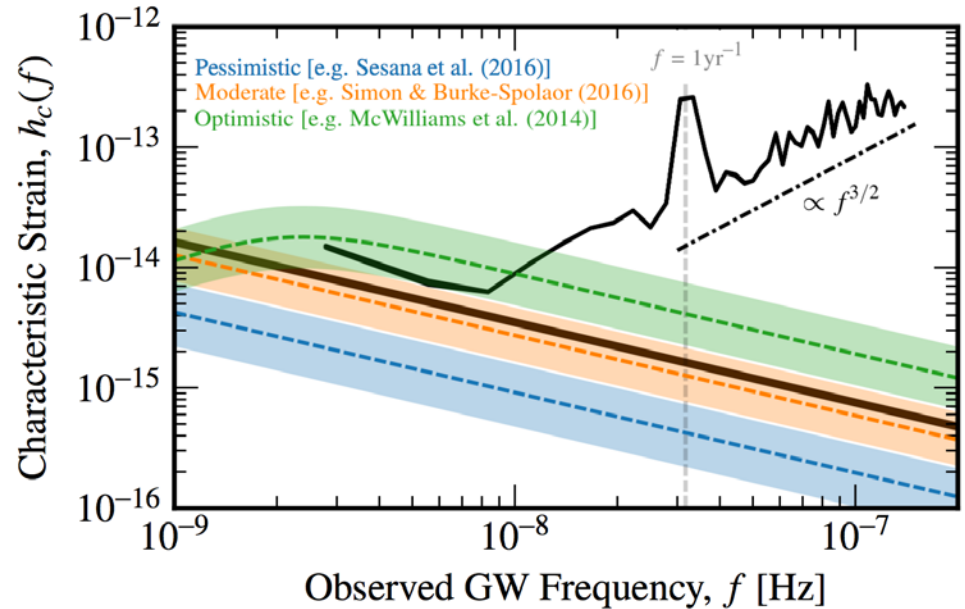


9-yr

arXiv: 1801.02617

Most recent SB limits are beginning to rule out SMBH formation and evolution models

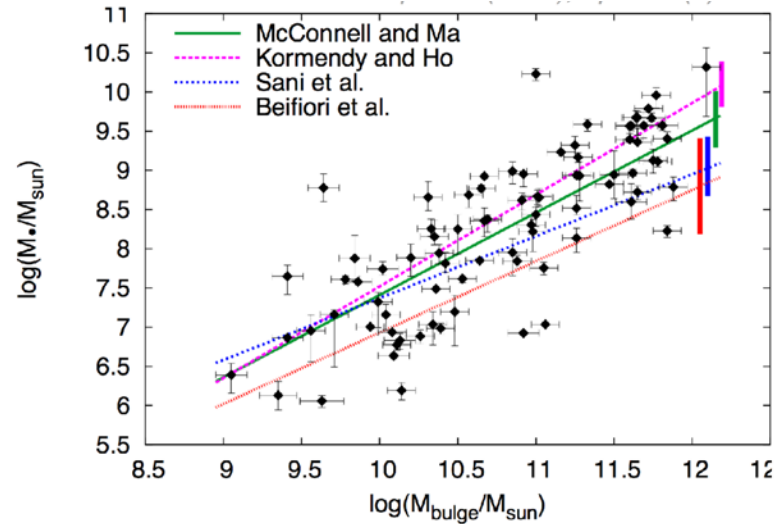
Can constrain astrophysical effects:
stellar hardening
circumbinary disk interaction
binary eccentricity



arXiv: 1801.02617

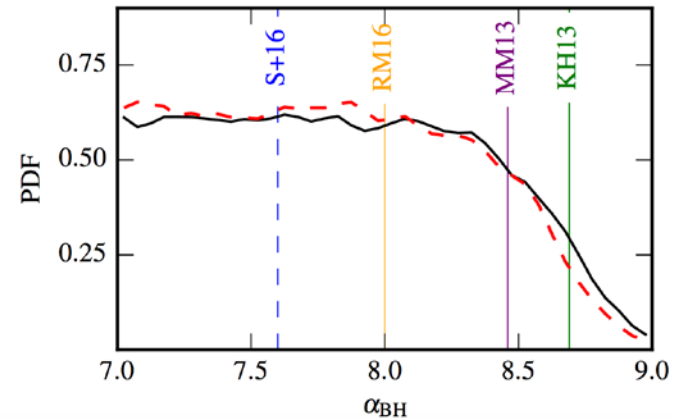
We can set astrophysical constraints

Astrophysical interpretation by “emulated” spectra trained by simulations.



Simon & Burke-Spolaor, 2016, ApJ, 826, 1

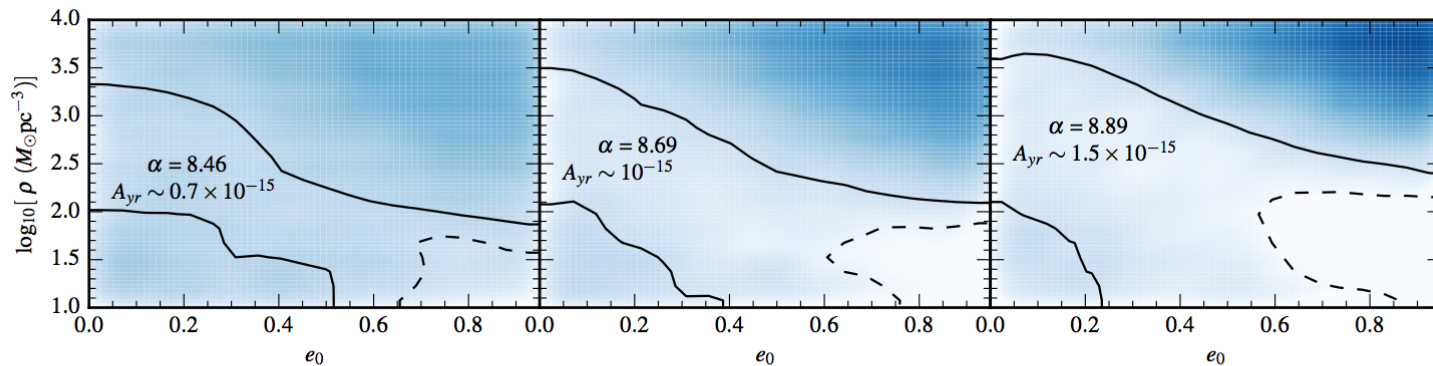
$$\log_{10} M_{\bullet} = \alpha + \beta \log_{10} \left(\frac{M_{\text{bulge}}}{10^{11} M_{\odot}} \right)$$



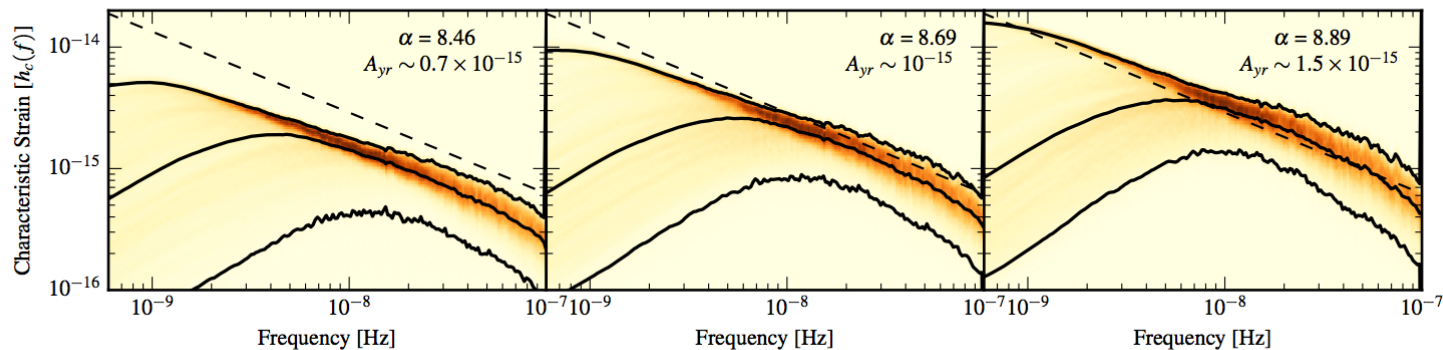
arXiv: 1801.02617

Can rule out astrophysical parameter space and place constraints on eccentricity, galaxy-bulge mass relationship, and galactic core mass density.

More astrophysical constraints



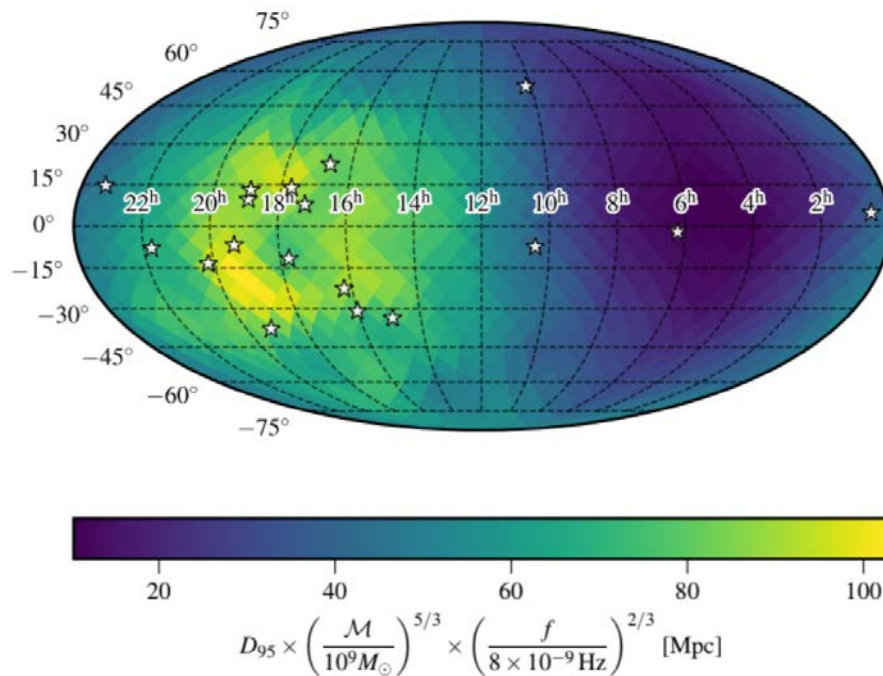
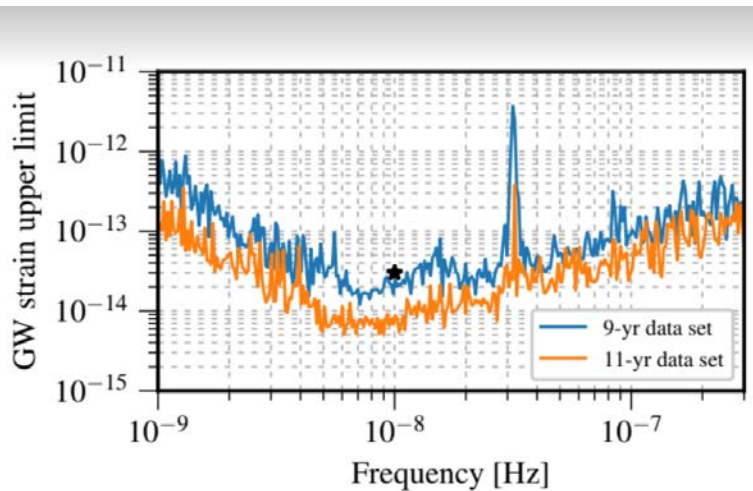
(a) 2D posterior for ρ_{stars} and e_0 for fixed α_{BH}



(b) Marginalized spectral shape of GWB

arXiv: 1801.02617

Continuous Wave Limits

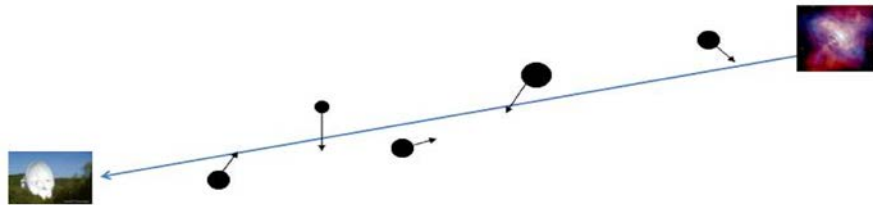


The NANOGrav Collaboration, in preparation

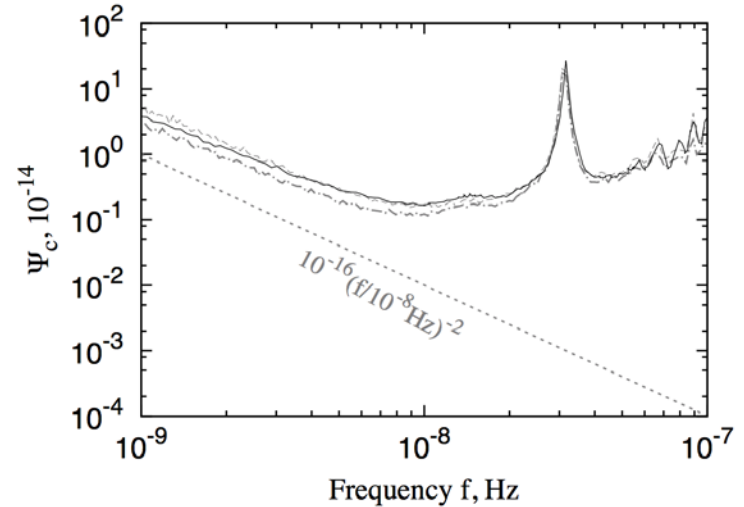


We can also search for more exotic stuff...

Dark matter substructure would cause Shapiro delays and Doppler effects (Baghram et al. 2011)



Hertzberg, Siegel, Fry 2007

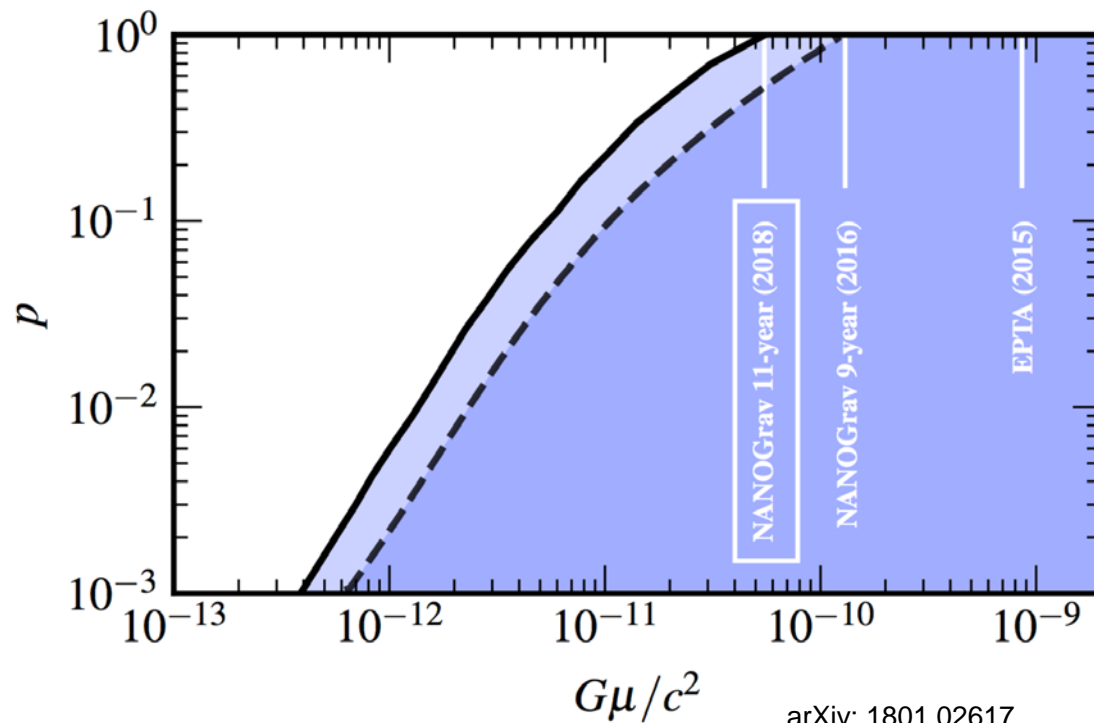


Porayko & Postnov 2014

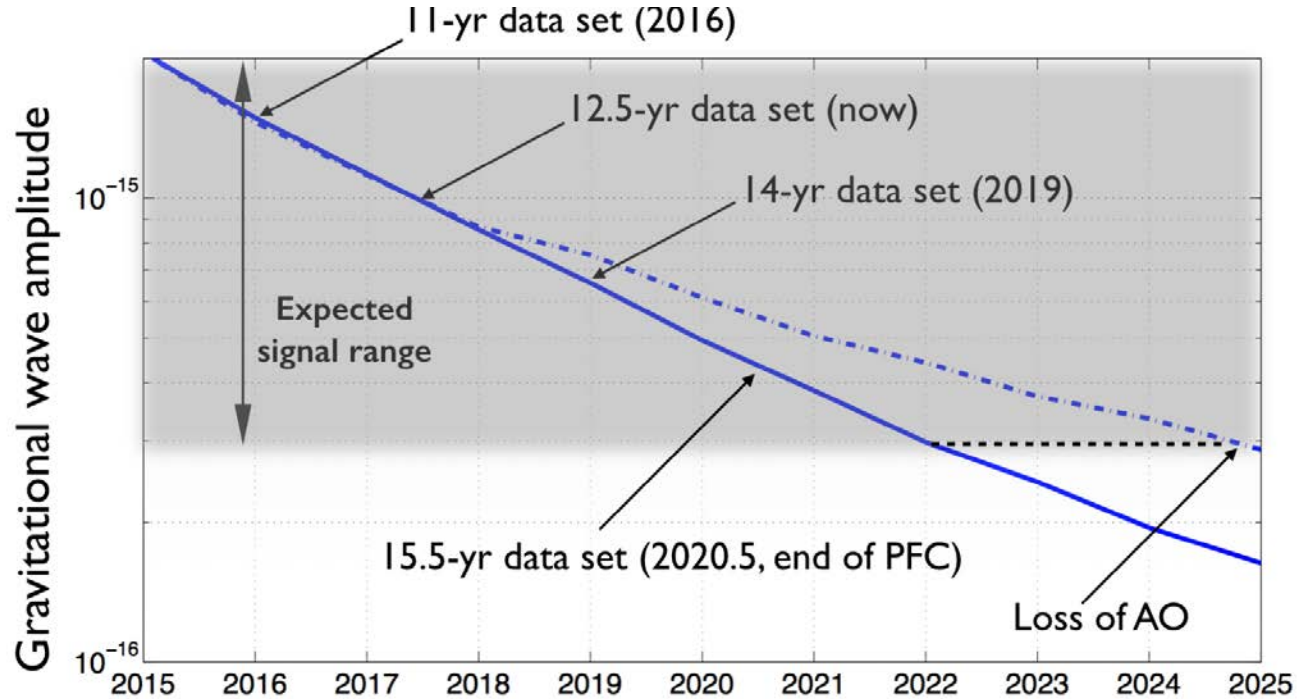
Warm dark matter could be an ultralight scalar field, creating a time-dependent galactic gravitational potential (Khmelnitsky & Robakov 2014, Porayko & Postnov 2014)



We can also set the best limits on cosmic strings



When we will make a SB detection?



We need to hold onto our telescopes (roughly \$10M/year each).

Want to get there faster?

$$SNR \propto N_{\text{MSP}} T^{1/2} \left(\frac{c}{\sigma_{\text{RMS}}^2} \right)^{3/26}$$

We need *more pulsars (in the right places)*, higher cadences, better timing precisions (bigger telescopes and bandwidths).

For single sources, cadence and precision are more important.

(+ *better ISM mitigation, noise characterization, ephemerides, etc.*)

The International Pulsar Timing Array



European Pulsar Timing Array

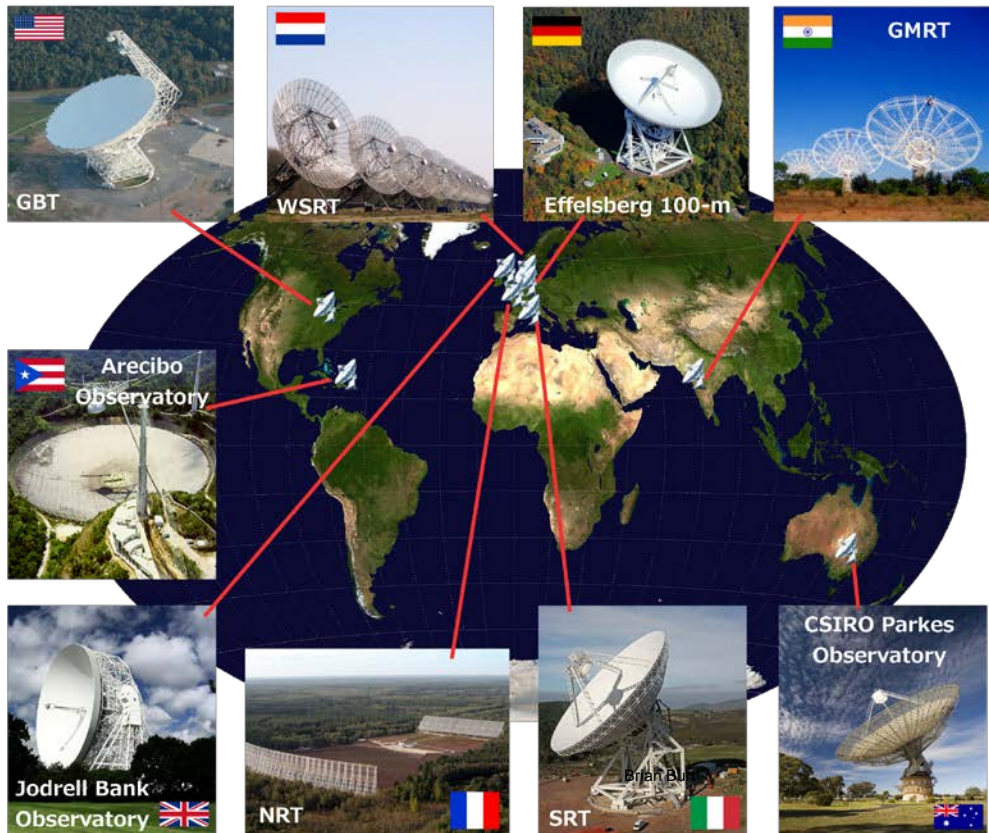


North American Nanohertz Observatory for Gravitational Waves



Parkes Pulsar Timing Array

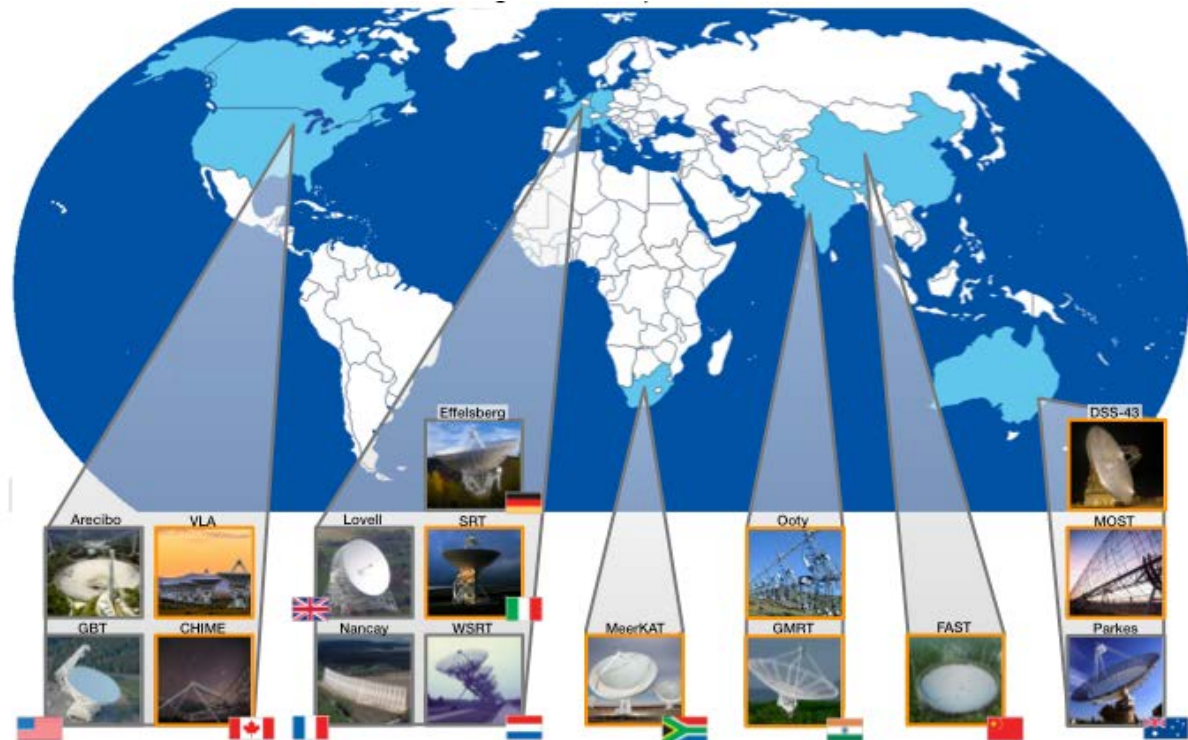
<http://ipta4gw.org>



The Expanded IPTA

Will soon be using 16 telescopes in 11 countries, bringing China, India, and South Africa into the collaboration.

This will soon be the most sensitive dataset in the world for low-frequency GW detection.



Credit: Shami Chatterjee

Summary and the Future

- The detection and subsequent study of the universe through pulsar timing will allow insights into galaxy evolution and cosmology not possible through other means, complimenting LIGO at the low-frequency end of the GW spectrum.
- NANOGrav's 11-year data set is the most sensitive in the world for low-frequency gravitational wave detection. You can grab it at <http://data.nanograv.org>.
- For the first time, we are able to constrain models for galaxy mergers.
- Our sensitivity has increased dramatically over the past few years, due to additional pulsars and improved instrumentation. It will continue to increase over the next several years with even more pulsars, wider bandwidth receivers, and ***continued access to our telescopes***.
- Our 12.5 year data release will be published within the next year. 71 MSPs are currently being timed!
- Please come to the IPTA meeting and student workshop in New Mexico from June 11-22!

<http://ipta.phys.wvu.edu>